

# Calculating Fluxes from Satellite EN Wind: Accounting for Stability Effects

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# Scatterometer Wind Concept

- Satellite wind data from radar signals relate to wind stress, not wind speeds
- Commonly known as Equivalent Neutral (EN) winds
- EN winds are a theoretical concept and hold validity exclusively under neutral atmospheric conditions (see the next slide)
- Often used in bulk formulas to calculate sensible and latent heat fluxes
- However, stability-related biases can introduce significant errors in flux estimates (see the next slide)

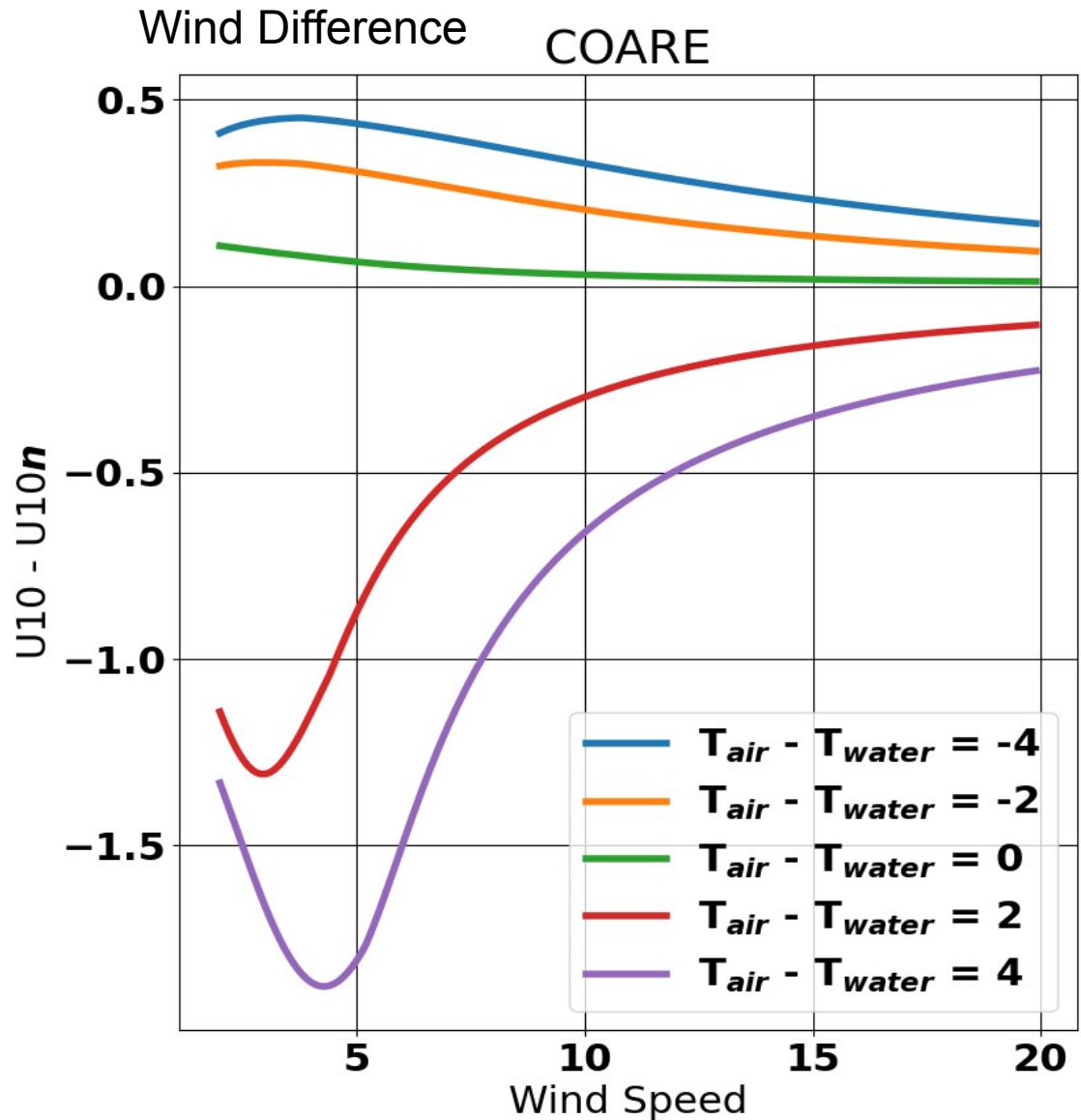
# Significance

(Synthetic data ex.)

Stable:  $T_{air} - T_{water} > 0$

Unstable:  $T_{air} - T_{water} < 0$

- differences between  $U_{10}$  and  $U_{10n}$  winds are more when atmospheric conditions are highly stable or unstable
- during low wind speed conditions under pronounced atmospheric stability, the discrepancies can become substantial



\*moisture also plays important role (not included in this example)

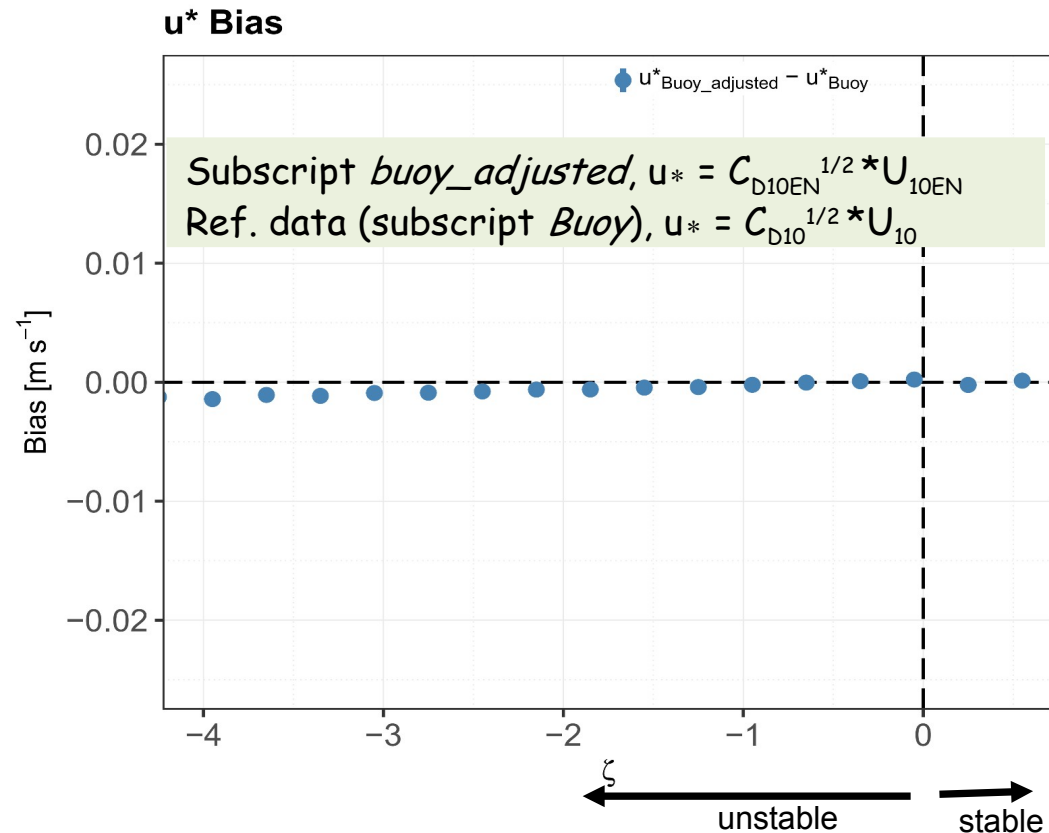
# Motivation..

- The calculation of surface turbulent stress ( $\tau$ ) from wind speed requires knowledge of the atmospheric stratification. In terms of a drag coefficient ( $C_D$ ), surface stress is defined as,

$$\tau = \rho C_{D10} U_{10} |U_{10}|$$

- A key advantage of EN winds is that surface stress can be estimated without accounting for atmospheric stability—requiring only air density and a neutral drag coefficient (Bourassa et al., 2010)

$$\begin{aligned}
 \tau &= \rho C_{D10EN} U_{10EN} |U_{10EN}| \\
 &= \rho u_* |u_*|
 \end{aligned}$$



# Turbulent Flux Calculation

- The parameter  $u^*$  can be used in the computation of **sensible heat (SHF)** and **latent heat (LHF) fluxes**, represented as follows,

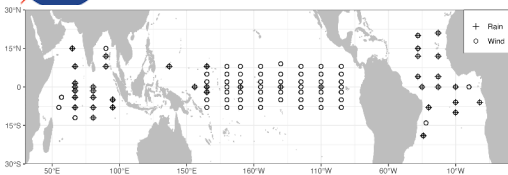
$$SHF = -\rho C_p \theta^* |u^*|,$$

$$LHF = -\rho L_v q^* |u^*|$$

- where  $\rho$  is the air density,  $\theta^*$  and  $q^*$  are scaling parameters analogous to  $u^*$ ,  $C_p$  is the specific heat of air, and  $L_v$  is the latent heat of vaporization
- Enhancing the accuracy of modeled values of  $u^*$  contributes to refining the accuracy of modeled surface turbulent fluxes
- *NOTE: COARE Bulk algorithm assumes stability included winds as input for the flux calculation*

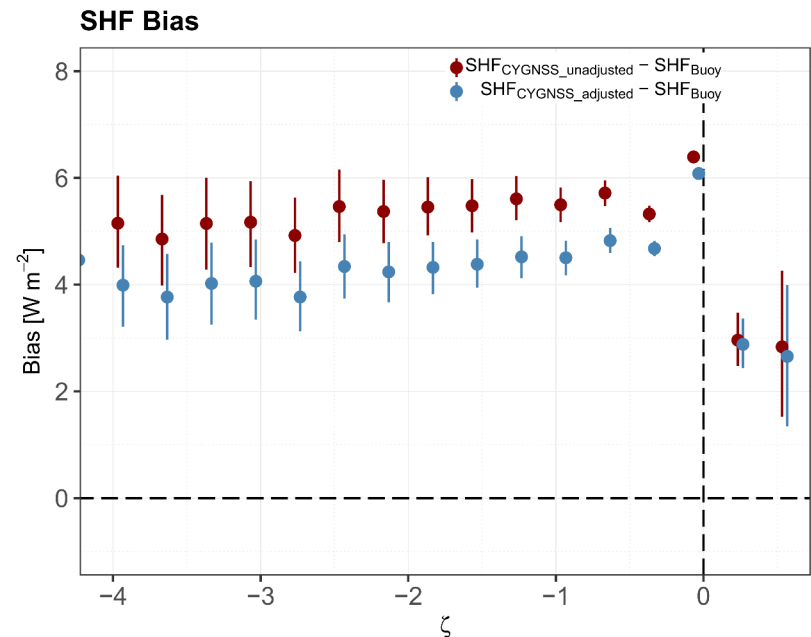
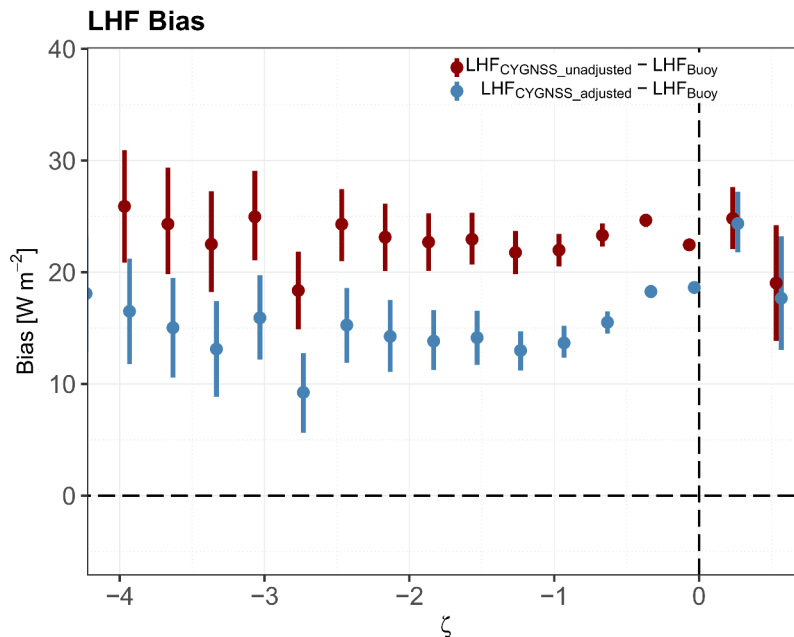
# *CYGNSS Flux Experiment*

- CYGNSS unadjusted: assumes equivalent neutral winds from CYGNSS; uses COARE as is:
  - $(u^* = C_{D10}^{1/2} * U_{10EN}),$
- CYGNSS adjusted: assumes equivalent neutral winds from CYGNSS with COARE corrections:
  - $(u^* = C_{D10EN}^{1/2} * U_{10EN})$



# CYGNSS vs. Buoy

## Aggregated whole Tropical Buoy stations (2018-2023)

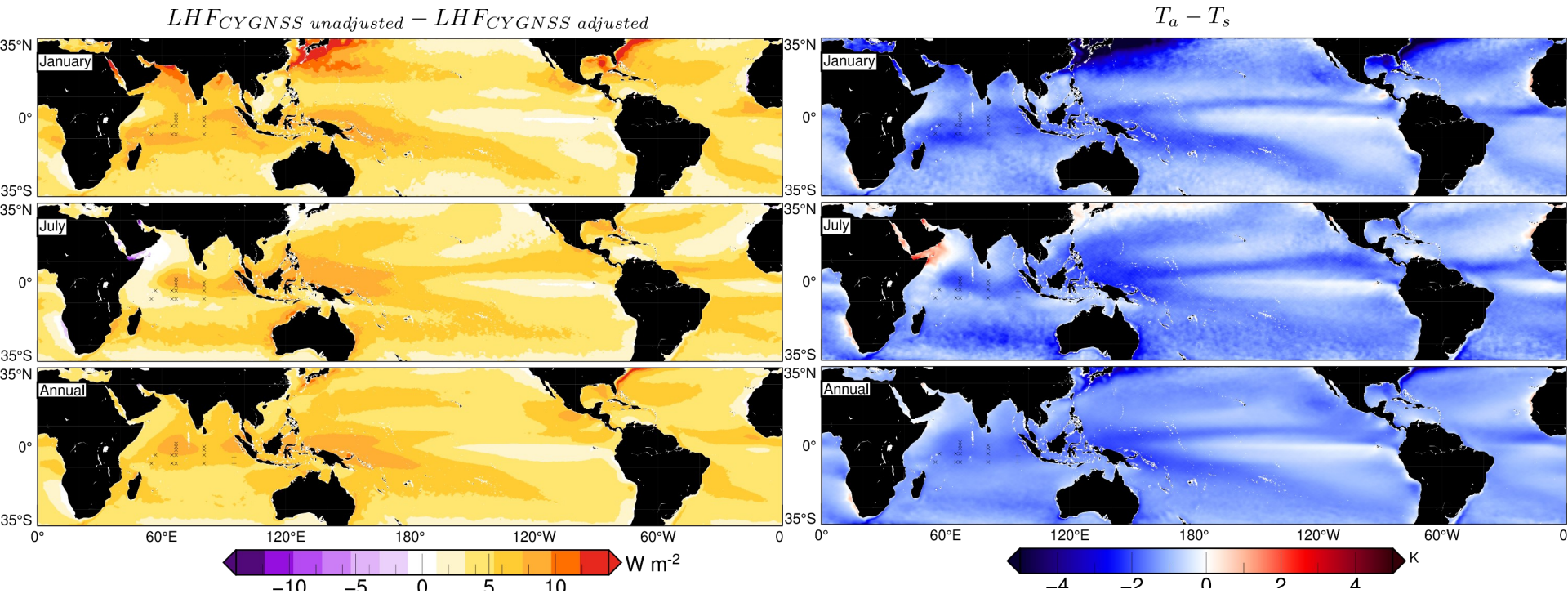


In Flux **unadjusted**,  $u_*$  is  $C_{D10}^{1/2} * U_{10EN} \Rightarrow$  default in COARE  
**adjusted**,  $u_* = C_{D10EN}^{1/2} * U_{10EN} \Rightarrow$  changes made in COARE  
 Reference data (subscript Buoy),  $u_* = C_{D10}^{1/2} * U_{10}$

- CYGNSS\_adjusted (blue curve) demonstrate a closer alignment (reduction of 10-20  $W m^{-2}$ ) with buoy-measured fluxes than CYGNSS\_unadjusted (red curve)
- The biases tend to reach a minimum at the transition from stable to unstable atmospheric stratification and towards stable conditions



# CYGNSS LHF (left) & Temperature (right) Difference

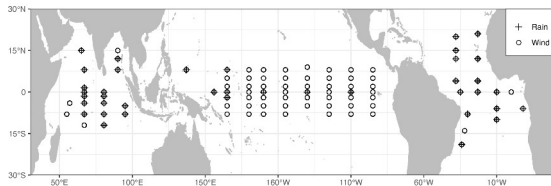


- Adjusted CYGNSS LHF generally shows reduced magnitudes
- Kuroshio and Western Boundary Currents show LHF differences up to 15-20  $W/m^2$  in January
- Notable differences appear in Arabian and Red Sea
- Most biases emerge in areas characterized by highly unstable atmospheric conditions



# CYGNSS Flux Scatterplot

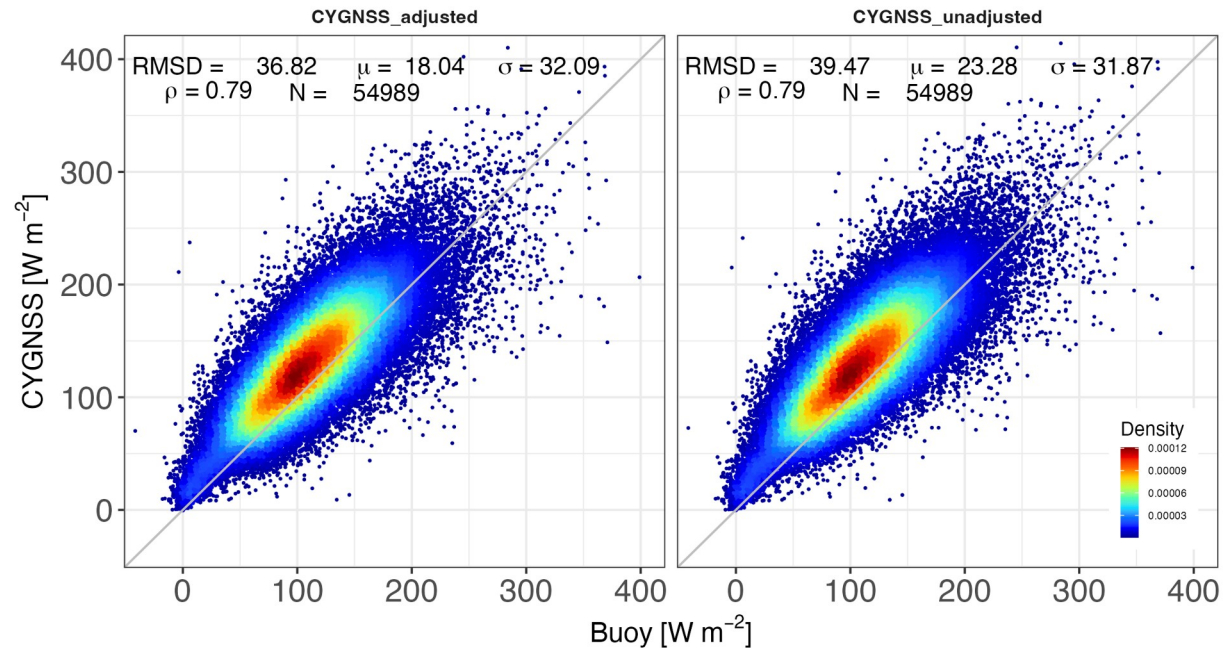
Aggregated whole  
Tropical Buoy  
stations  
(2018-2023)



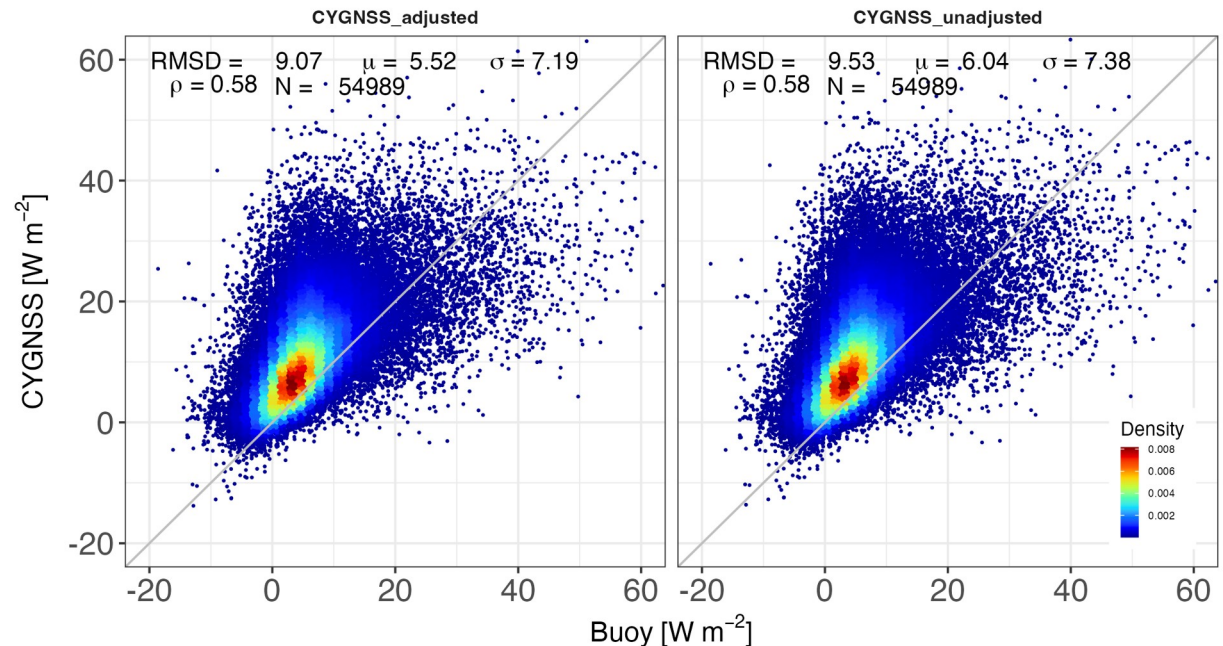
Improved statistics in  
adjusted (left panel) over  
unadjusted (right panel)

$\mu$  - mean difference (CYGNSS - buoy)  
 $\sigma$  - standard deviation (CYGNSS - buoy)  
RMSD - root mean square difference  
 $\rho$  - Corr. Coeff.

LHF



SHF



# Summary

- Scatterometer retrieved EN winds represent theoretical wind scenario in neutral atmospheric stratification
- The Bourassa & Hughes (2018) approach enables precise surface flux estimates using the EN winds
- CYGNSS and tropical buoy data confirm its effectiveness across stability regimes
- Differences between default and modified COARE setups are notable ( $\sim 15\text{-}25 \text{ W/m}^2$  LHF) in highly unstable atmospheric conditions
- The CYGNSS heat flux products based on the modified COARE algorithm are available on the JPL PO.DAAC server

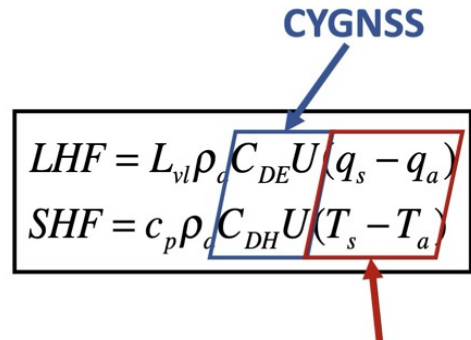
Thank you for your kind attention!

- Backup slide

# CYGNSS Surface Heat Fluxes

## Crespo et al., 2019 (Rem. Sens.)

- Publicly released Science/Climate data product consisted of an estimate of Sensible and Latent heat flux
- Uses COARE 3.5 Bulk Algorithm
- Flux calculation utilizes L2 CYGNSS Wind Products
- Uses ERA5 for thermodynamic variables
- Currently validated up to 25 m s<sup>-1</sup>
- Limiting factors: transfer coefficients, sea salt spray, uncertainties in the Reanalysis data over convective regions



$$\begin{aligned}
 LHF &= L_{vl} \rho_a C_{DE} U (q_s - q_a) \\
 SHF &= c_p \rho_a C_{DH} U (T_s - T_a)
 \end{aligned}$$

CYGNSS

ERA5

$$C_D(z/z_0, z/L, G) = \frac{-\overline{uw}}{U_r S_r} = \frac{-\overline{uw}}{U_r^2 G} = \left[ \frac{\kappa}{\ln(z/z_0) - \psi_m(z/L)} \right]^2,$$

# Surface-layer Stability

Stability function

$$U_{10} = \frac{u_*}{k} \left[ \ln \left( \frac{Z_{10}}{z_0} \right) - \psi \left( \frac{Z_{10}}{L} \right) \right]$$

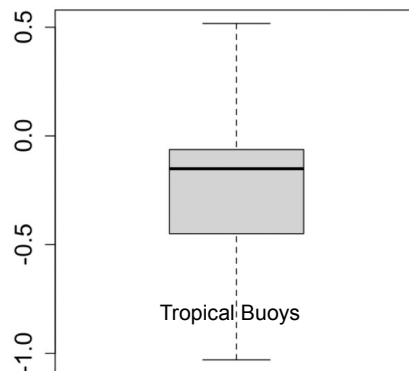
under neutrally-stratified condition

$$U_{10EN} = \frac{u_*}{k} \ln \left( \frac{Z_{10}}{z_0} \right)$$

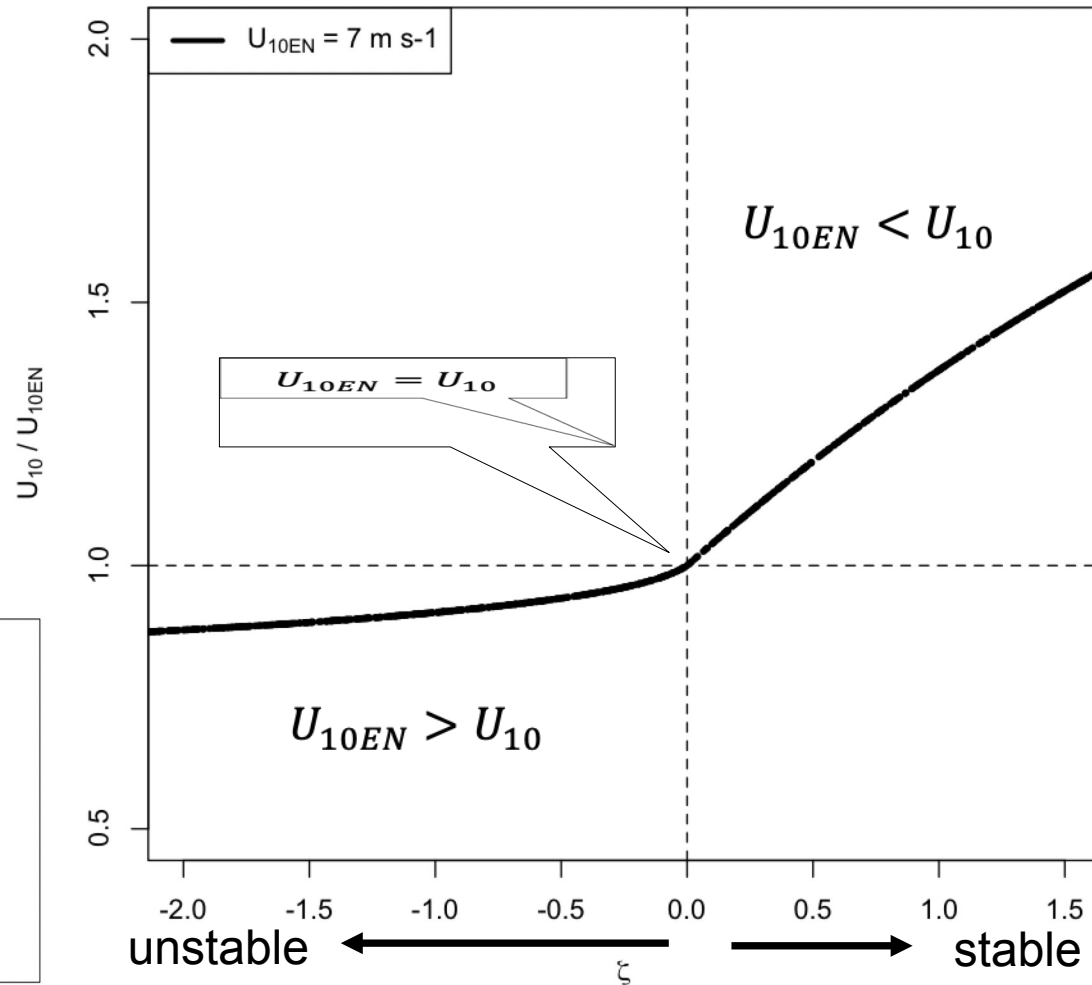
Stability parameter  
(dimensionless)

$$\zeta = \frac{Z_{10}}{L}$$

Most data sample fall at near-neutral conditions and thus EN winds are generally assumed to be a good approx..

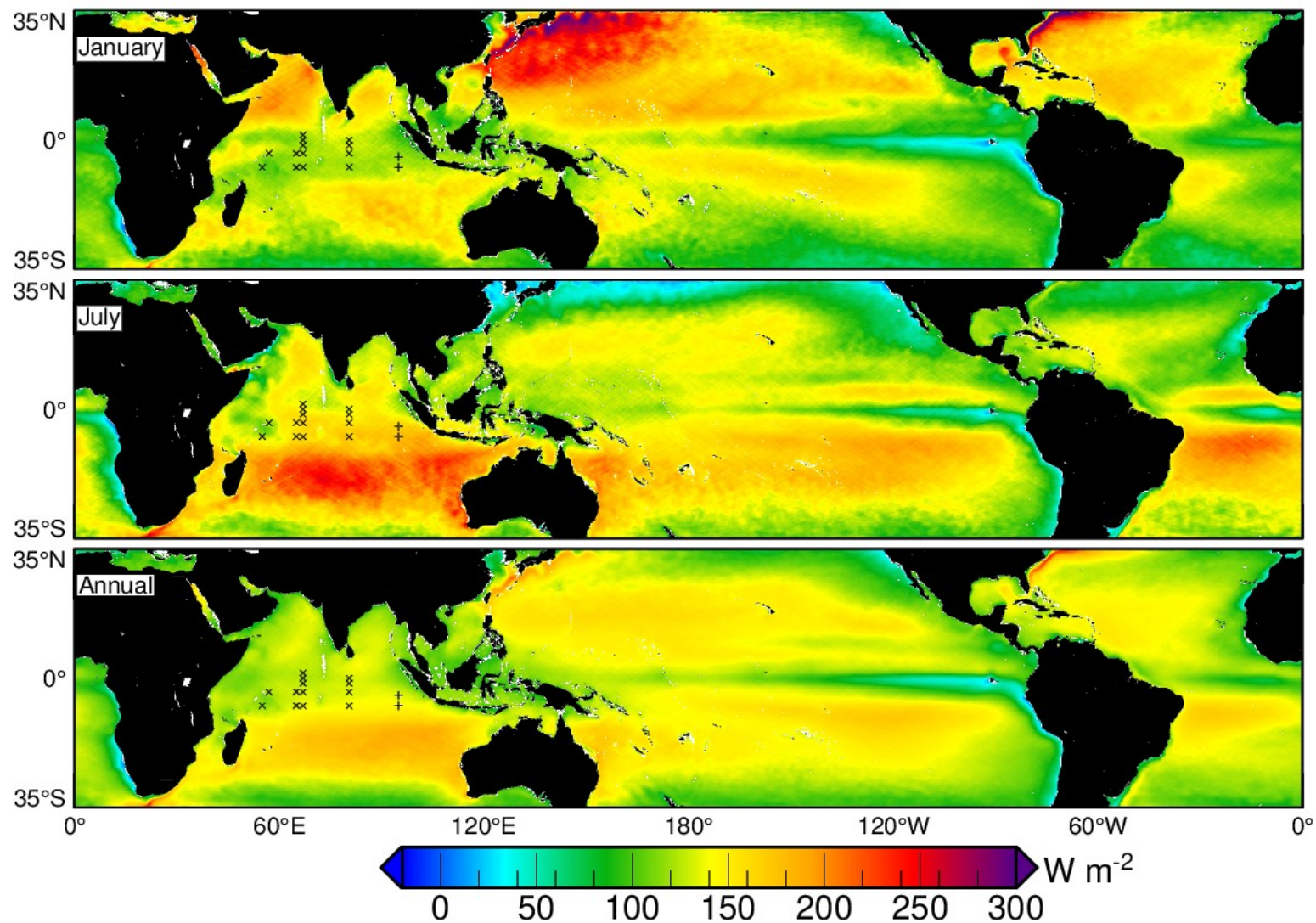


COARE 3.6 theoretical curve



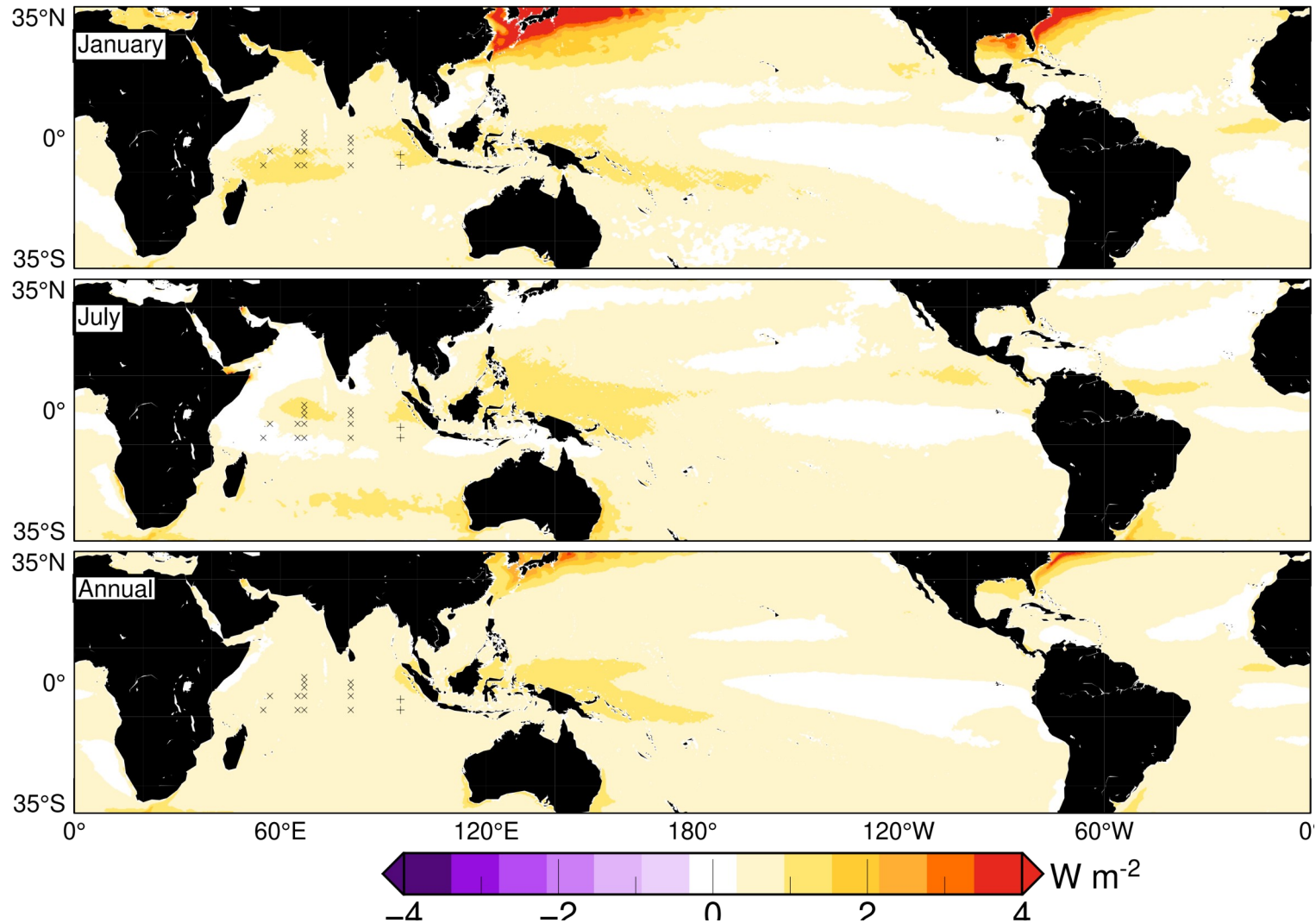


$LHF_{CYGNSS}$  adjusted



# CYGNSS SHF Difference

$$SHF_{CYGNSS \text{ unadjusted}} - SHF_{CYGNSS \text{ adjusted}}$$



Most biases emerge in areas characterized by highly unstable atmospheric conditions



